

Development of Methods For Determining The Lateral Surface of Tank

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Abstract

Ensuring the security and life of civil engineering structures is paramount to the designer, the users and the environment. To this end, it is necessary to carry out periodic monitoring of structures. The monitoring of Civil engineering structures is not limited to Geomatics Engineers only. Other professional are also involved in structural monitoring with a view of ensuring its safety and integrity. In the paper we develop a Geomatics technique of structural deformation study. The approach divides the storage tank with diameter of 76.2m and 22m high into circular cross section with points distributed to cover the perimeter of the cross section. These monitoring points (studs) were situated at equal distances on the outer surface of the tanks and located around the tank base. Geodetic Total Station instruments were setup at these monitoring stations (occupied stations) and observations carried out to determine the coordinates of monitoring points on the tank surface. In the past traditional geodetic was used which was time consuming, and problematic data acquisition and analysis. The new technique is very fast, cost effective, continuous data acquisition, compactable with computer Aided design (CAD), and the easy of developing digital terrain model (DTM) with the data. We also presented the mathematical model and least squares technique necessary for the deformation measurement and analysis.

Key words: Monitoring, deformation, diameter, oil volume, intersection, accuracy, oil tanks.

1.0 Introduction:

In the past, conventional classical methods of deformation measurement has been used which was time consuming, not economic and observation is associated with errors. During the last decade, the world of engineering surveying has seen enormous developments in the techniques for spatial data acquisition. One of these developments has been the appearance of geodetic Total station, global positioning system (GPS) and laser scanner device [4].

As a result of tanks age, geological of the area, non uniform settlement of tanks foundations, loading and off loading of oil and temperature of the crude will cause stress and strain of tanks membrane and settlement of sediments. The tanks tend to undergo radial deformation or out of roundness. Therefore, monitoring the structural deformation of the circular oil storage tanks must be carried out using accurate geodetic observations and analysis methods.

Historically, different methods have been used to monitor the deformations of large structures. New monitoring techniques and methodologies emerge as new technology is developed and enhanced, for example, the combination of a total station with image based measurement systems or laser scanners [1]. Each monitoring scheme has unique advantages, disadvantages, and limitations whether it is based on traditional geodetic surveying techniques, geotechnical measurements, the global positioning system (GPS), or remote sensing principles [6, 7, 8]. The cost, effectiveness, and reliability of a monitoring scheme are important factors in the decision to implement a certain monitoring system over another. Among geodetic techniques, the Total Station provides a reliable tool for automated and continuous (if required) monitoring of large structures at a relatively low cost.

Most deformation monitoring schemes consist of measurements made to the monitored object that are referred to several reference points (assumed to be stable)

[3]. To obtain correct object point displacements (and thus deformations), the stability of the reference points must be ensured [1]. The main conclusion from the many papers written on this topic states that every measurement made to a monitored object must be connected to stable control points. This is accomplished by creating a reference network of control points surrounding a particular structure (Figure 1).

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2.0 MONITORING OF VERTICAL STORAGE TANKS

The tanks under study are designed with floating roof plate of thickness 6.0mm were constructed in the 70s with the following properties (tables 1 and 2)

Table 1: Tank property

Nominal Diameter	Temperature	Norminal Volume	Height	Liquid Gravity	Hydrostatic pressure
76.2m	58 ⁰ f	100,000m ³	22m	0.85 to 0.9	2 bars

Table 2: Tank Thickness

Tank Segment	Plate Thickness
Bottom Plate	6.0mm
1 st plate	34.5mm
2 nd plate	30.6mm
3 rd plate	26.7mm
4 th plate	22.7mm
5 th plate	19.0mm
6 th plate	15.0mm
7 th plate	11.3mm
8 th plate	10.0mm
9 th plate	10.0mm

It is necessary to model the structure of oil storage tank by using well-chosen discrete monitoring points located on the surface of the structure at different levels which, when situated correctly, accurately depict the characteristics of the structure.

Any movements of the monitoring point locations (and thus deformations of the structure) can be detected by maintaining the same point locations over time and by performing measurements on them at specified time intervals. This enables direct point displacement comparisons to be made. A common approach for this method is to place physical targets on each chosen discrete point on which measurements can be made. However, there are certain situations in which monitoring the deformations of a large structure using direct displacement measurements of targeted points is uneconomical, unsafe, inefficient, or simply impossible. The reasons for this limitation vary, but it may simple due to the difficulty or cost of placing permanent prisms on the structure [3].

To obtain the correct object point displacements (and thus its deformation), the stability of the reference stations and control points must be ensured. The main conclusion from the many papers written on this topic states that every measurement made to a monitored object must be connected to stable control points [1]. This is accomplished by creating a reference network of control points surrounding a particular structure (Figure 1).

To develop a reliable and cost effective monitoring system of any of the storage oil tanks, the deformation monitoring scheme consisted of measurements made on the tanks from several monitoring stations (occupied stations), which are chosen in the area around the tank, and that are referred to several reference control points [4]. The geodetic instruments are setup at these monitoring stations (occupied stations) and observations are carried out to determine the coordinates of monitoring points on the tank surface.

The circular cross section of the oil storage tank is divided into several monitoring points distributed to cover the perimeter of this cross section, as shown in Figure 1. These monitoring points are situated at equal distances on the outer surface of the tank. The (stud) points are fixed, with each stud carrying an identification number and made permanent throughout the life of the tank. The purpose is to maintain the same monitoring point during each epoch of observation. From Figure 1, (A to I) are monitoring stations, B.M.1, B.M.2 and B.M.3 are control net work while number (1 to 20) are studs permanently attached to the tank surface for monitoring. To determine the coordinates of occupied stations around the monitored oil storage tank, traverse network was run from the control points around the vicinity of the tank to connect the monitoring stations.

The easiest way of visualizing the traversing process around the tank is to consider it as the formation of a polygon on the ground using standard survey procedures. The traverse was being measured using total station. The slope distances and horizontal angles were measured to survey stations on both faces for a given number of rounds, and recorded accordingly. Appropriate corrections were applied, and the distances reduced to horizontal distance. There are a total number of 18 tanks monitored, in this work; traverse network around tank № 8 is presented in fig 1.

To determine the coordinates of the eight occupied stations, a closed loop traverse was designed around tank № 8 as shown in Fig 1.

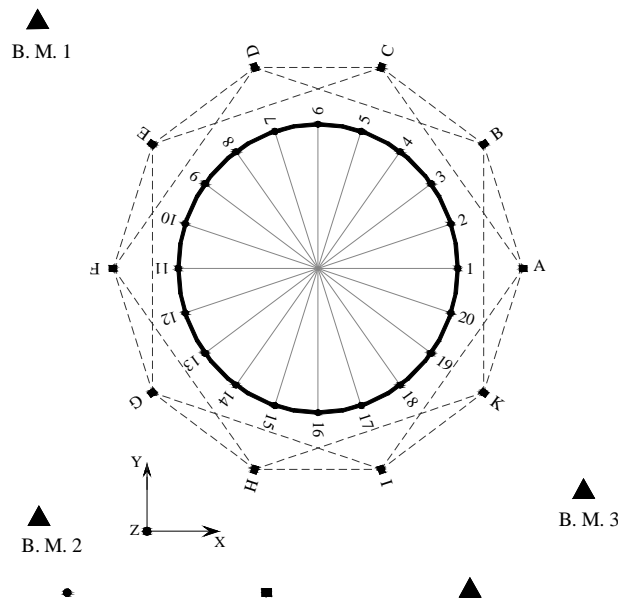


Figure 1 – Structural deformation monitoring system

In this closed traverse there are 9 interior angles and 9 side lengths. The observed interior angles and sides of the traverse loop together with computed accuracy using Carlson2011 software are presented in table 3 to table 8.

3.0 COMPUTATION AND ADJUSTMENT OF OBSERVATIONS

By using least square theory, method of condition equation adjustment technique was used and is presented thus:

The number of total observations (n) = 10 angles + 10 distances

This gives total number of (20) observations

The number of conditions (r) = 3 and these include:

- 1. Angular misclosure condition:

$$\Delta_1 = (\text{sum interior angle of loop traverse}) - (n_{\text{angles}} - 2)(180^\circ) \tag{1}$$

- 2. Sum of the departures is equal to zero:

$$\Delta_2 = \sum_{i=1}^n D * \sin \theta_i = 0 \tag{2}$$

Where D_i – the length of traverse side, θ_i – bearing of traverse side

- 3. Sum of the latitude is equal to zero:

$$\Delta_3 = \sum_{i=1}^n D * \cos \theta_i = 0 \tag{3}$$

Hence, the number of necessary observations (n_0)

$$n_0 = n - r = 17 \tag{4}$$

The first step in solving traverse using conditional least square is finding the adjusted values of observations (9 interior angles and 9 lengths) and its accuracy. Secondly, from these values and accuracies, the adjusted coordinates of the traverse stations (eight occupied points) and its accuracy can be determined depending on the geometry of the traverse figure. All of these steps were carried out using Carlson2011 program. The adjusted coordinates of the traverse stations are presented in table 4.

Table 3 – Least – square solution of Tank 8 observations

Process Transit Results

Raw file: C:/Carlson Projects/TANKS/TANK8/TANK8.rw5

Coordinate file: C:/Carlson Projects/TANKS/TANK8/TANK8.crd

Scale Factor: 1.00000000

Correct for Earth Curvature: OFF
 Closure Results (Before Angle Balance)
 Starting Point 2: E 324951.639 N 148189.825 Z 0.000
 Closing Reference Point BM-8A: E 325174.013 N 148157.213 Z 0.000
 Ending Point 11: E 325174.098 N 148157.340 Z -0.000
 Azimuth Of Error: 33°51'59"
 North Error : 0.02717
 East Error : 0.08535
 Vertical Error : -0.00000
 Hz Dist Error : 0.15316
 Sl Dist Error : 0.15316
 Traverse Lines : 9
 SideShots : 0
 Store Points : 0
 Horiz Dist Traversed: 708.171
 Slope Dist Traversed: 708.171
 Closure Precision: 1 in 46240
 Starting Point 2: E 324951.639 N 148189.825 Z 0.000
 BackSight Point 1: E 325174.013 N 148157.213 Z 0.000

Point No.	Horizontal Angle	Zenith Angle	Slope Dist	Inst HT	Rod HT	Easting	Northing	Elev
3	AR268.3816	90.0000	65.966	0.000	0.000	324959.656	148255.302	-0.000
PEG1								
4	AR196.4010	90.0000	36.402	0.000	0.000	324974.259	148288.647	-0.000
PEG2								
5	AR220.2333	90.0000	58.134	0.000	0.000	325026.529	148314.092	-0.000
PEG3								
6	AR231.3346	90.0000	58.504	0.000	0.000	325079.287	148288.808	-0.000
PEG4								
7	AR210.5030	90.0000	64.962	0.000	0.000	325115.192	148234.670	-0.000
PEG5								
8	AR244.0404	90.0000	70.803	0.000	0.000	325079.241	148173.673	-0.000
PEG6								
9	AR248.3307	90.0000	75.559	0.000	0.000	325004.626	148185.581	-0.000
PEG7								
10	AR175.3321	90.0000	53.088	0.000	0.000	324951.710	148189.860	-0.000
BM-8B								
11	AR3.4147	90.0000	224.753	0.000	0.000	325174.098	148157.340	-0.000
BM-8A								

Table 4 - Adjusted Point Comparison

Point#	Original		Adjusted		Dist	Bearing
	Easting	Northing	Easting	Northing		
3	324959.656	148255.302	324959.655	148255.275	0.027	S 02°41'01" W
4	324974.259	148288.647	324974.256	148288.606	0.040	S 05°00'28" W
5	325026.529	148314.092	325026.517	148314.041	0.052	S 12°59'27" W
6	325079.287	148288.808	325079.267	148288.747	0.064	S 18°05'40" W
7	325115.192	148234.670	325115.166	148234.587	0.086	S 17°05'11" W
8	325079.241	148173.673	325079.210	148173.566	0.112	S 16°05'42" W
9	325004.626	148185.581	325004.583	148185.469	0.120	S 20°46'34" W
10	324951.710	148189.860	324951.660	148189.746	0.125	S 24°01'25" W
11	325174.098	148157.340	325174.013	148157.213	0.153	S 33°51'59" W

Table 5 - Control Points

Point#	Easting	Northing
1	325174.013	148157.213
2	324951.639	148189.825
11	325174.013	148157.213

Adjust Points

Point#	Easting	Northing
3	324959.656	148255.302
4	324974.259	148288.647
5	325026.529	148314.092
6	325079.287	148288.808
7	325115.192	148234.670
8	325079.241	148173.673
9	325004.626	148185.581
10	324951.710	148189.860

Table 6 - Distance Observations and standard errors

Occupy	FSight	Distance	StdErr
2	3	65.966	0.011
3	4	36.402	0.011
4	5	58.134	0.011
5	6	58.504	0.011
6	7	64.962	0.011
7	8	70.803	0.011
8	9	75.559	0.011
9	10	53.088	0.011
10	11	224.753	0.011

Table 7 - Angle Observations and standard Errors

BSight	Occupy	FSight	Angle	StdErr
1	2	3	268°38'16"	24.571"
2	3	4	196°40'10"	54.569"
3	4	5	220°23'33"	55.434"
4	5	6	231°33'46"	41.162"
5	6	7	210°50'30"	40.282"
6	7	8	244°04'04"	34.575"
7	8	9	248°33'07"	31.723"
8	9	10	175°33'21"	40.749"

Table 8- Least-Squares Closure

Control Points

Point#	Easting	Northing
1	325174.013	148157.213
2	324951.639	148189.825
11	325174.013	148157.213

Distance Observations

Occupy	FSight	Distance	StdErr
2	3	65.966	0.011
3	4	36.402	0.011
4	5	58.134	0.011
5	6	58.504	0.011
6	7	64.962	0.011
7	8	70.803	0.011
8	9	75.559	0.011
9	10	53.088	0.011
10	11	224.753	0.011

Angle Observations

BSight	Occupy	FSight	Angle	StdErr
1	2	3	268°38'16"	24.571"
2	3	4	196°40'10"	54.569"
3	4	5	220°23'33"	55.434"
4	5	6	231°33'46"	41.162"
5	6	7	210°50'30"	40.282"
6	7	8	244°04'04"	34.575"
7	8	9	248°33'07"	31.723"
8	9	10	175°33'21"	40.749"
9	10	11	3°41'47"	27.671"

Adjusted Point Comparison

Point#	Original		Adjusted		Dist	Bearing
	Easting	Northing	Easting	Northing		
3	324959.656	148255.302	324959.658	148255.301	0.002	S 56°11'32" E
4	324974.259	148288.647	324974.267	148288.642	0.009	S 57°00'45" E
5	325026.529	148314.092	325026.545	148314.066	0.031	S 31°35'45" E
6	325079.287	148288.808	325079.290	148288.755	0.052	S 02°33'11" E
7	325115.192	148234.670	325115.162	148234.597	0.079	S 22°05'09" W
8	325079.241	148173.673	325079.172	148173.622	0.086	S 52°54'12" W
9	325004.626	148185.581	325004.564	148185.577	0.062	S 86°40'07" W
10	324951.710	148189.860	324951.650	148189.893	0.069	N 61°16'24" W

Adjusted Points

Point#	Easting	Northing	N-StdErr	E-StdErr
3	324959.658	148255.301	0.010	0.007
4	324974.267	148288.642	0.013	0.012
5	325026.545	148314.066	0.018	0.018
6	325079.290	148288.755	0.025	0.017
7	325115.162	148234.597	0.029	0.014
8	325079.172	148173.622	0.027	0.016
9	325004.564	148185.577	0.031	0.013
10	324951.650	148189.893	0.040	0.011

Solution Converged in 3 Iterations

Reference Standard Deviation: 0.945

Chi-Square statistic: 1.786, Range for 95%: 0.103 to 5.990

Adjustment Passes Chi-Square test at 95% confidence level

Max adjustment: 0.086

Starting Point 2: E 324951.639 N 148189.825 Z 0.000

Backsight Point 1: E 325174.013 N 148157.213 Z 0.000

Point No.	Horizontal Angle	Zenith Angle	Slope Dist	Inst HT	Rod HT	Easting	Northing	Elev
3	AR268.3821	90.0000	65.965	0.000	0.000	324959.658	148255.301	-0.000
PEG1								
4	AR196.4045	90.0000	36.401	0.000	0.000	324974.267	148288.642	-0.000
PEG2								
5	AR220.2414	90.0000	58.132	0.000	0.000	325026.545	148314.066	-0.000
PEG3								
6	AR231.3409	90.0000	58.503	0.000	0.000	325079.290	148288.755	-0.000
PEG4								
7	AR210.5047	90.0000	64.962	0.000	0.000	325115.162	148234.597	-0.000
PEG5								
8	AR244.0412	90.0000	70.804	0.000	0.000	325079.172	148173.622	-0.000
PEG6								
9	AR248.3311	90.0000	75.560	0.000	0.000	325004.564	148185.577	-0.000
PEG7								
10	AR175.3331	90.0000	53.089	0.000	0.000	324951.650	148189.893	-0.000
BM-8B								
11	AR3.4153	90.0000	224.752	0.000	0.000	325174.013	148157.213	-0.000
BM-8A								

By the same way, the coordinates of occupied stations around each oil storage tank of ten studied tanks in the studied area in Forcados Terminal Nigeria were determined. It is important to note that the number of monitoring points on the tank surface and the number of occupied stations around each tank differ from one tank to another depending on the topography and visibility around [3].

3.1 Coordinates of tank surface points by linear-angular 2D intersection

To achieve accurate determination of coordinates of monitoring points on the outer surface of oil tank at Forcados terminal and its accuracy during the process of structural deformation monitoring, linear-angular intersection was used. This is because it has the advantages of least squares application. In this case, four observations were carried out from the two occupied stations (two distances and two angles). In angular intersection or linear intersection, the number of observations (two angles or two distances) equals the number of unknowns (coordinates of point P) but in case of linear-angular intersection the number of observations is more than the number of unknowns, and consequently least square method must be used to determine the coordinates of point P (Figure 2). Figure (2) illustrates the geometry of the linear-angular intersection. There are two known coordinates points (X_A, Y_A) and (X_B, Y_B). From these two known points (A and B), we can determine the coordinates of unknown point P; (X_P, Y_P) by measuring horizontal angles α₁ and α₂ and horizontal distances S₁ and S₂. Adjustment will be carried out in this case by using observation equation method.

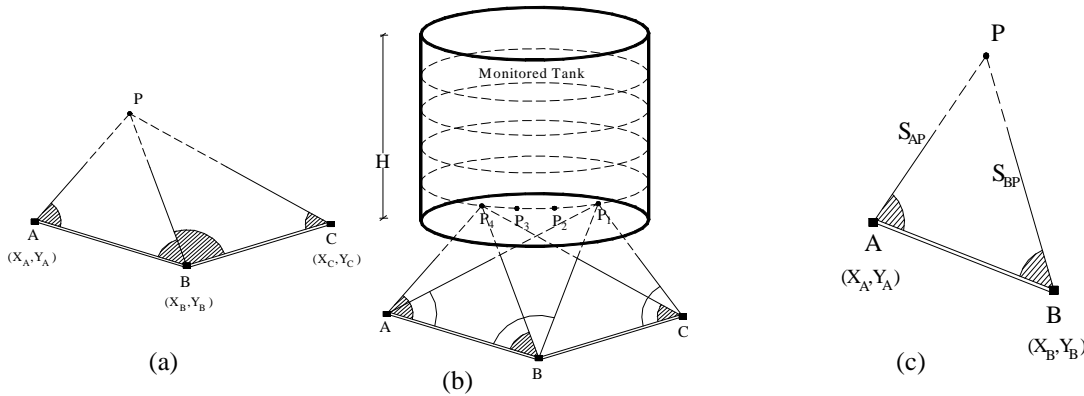


Figure 2a, 2b and 2c – Geometry of linear - angular intersection for determining point coordinates

It is important to note that the horizontal distances S₁, S₂ was measured by using reflectorless total station. Modern total station has reflectorless ability, so it can measure the inclined distance and horizontal distance without prisms.

In this model of adjustment (observational least square), the number of equations equals the number of observations (n = 4), every equation contains one observation and one or more than one unknowns. In this case, the observations are S₁, S₂, α₁, α₂ and the unknowns are X_P, Y_P.

The two lengths of the lines (S₁, S₂) in horizontal projection can be written in coordinates form as:

$$\left. \begin{aligned} S_1 &= \sqrt{(X_P - X_A)^2 + (Y_P - Y_A)^2} \\ S_2 &= \sqrt{(X_P - X_B)^2 + (Y_P - Y_B)^2} \end{aligned} \right\} \quad (5)$$

From figure (2), the horizontal angles (α₁ and α₂) can be calculated as follows:

$$\left. \begin{aligned} \alpha_1 &= \cos^{-1} \left(\frac{AP^2 + AB^2 - PB^2}{2 \cdot AP \cdot AB} \right) \\ \alpha_2 &= \cos^{-1} \left(\frac{BA^2 + BP^2 - AP^2}{2 \cdot BA \cdot BP} \right) \end{aligned} \right\} \quad (6)$$

By using the coordinates of points, we can write equation (2) as:

$$\left. \begin{aligned} \alpha_1 &= \cos^{-1} \left[\frac{(X_P - X_A)^2 + (Y_P - Y_A)^2 + AB^2 - (X_P - X_B)^2 - (Y_P - Y_B)^2}{2 \cdot AB \cdot \sqrt{(X_P - X_A)^2 + (Y_P - Y_A)^2}} \right] \\ \alpha_2 &= \cos^{-1} \left[\frac{(X_P - X_B)^2 + (Y_P - Y_B)^2 + AB^2 - (X_P - X_A)^2 - (Y_P - Y_A)^2}{2 \cdot AB \cdot \sqrt{(X_P - X_B)^2 + (Y_P - Y_B)^2}} \right] \end{aligned} \right\} \quad (7)$$

The equations (5) and (7) are the four observational equations, these equations are nonlinear function of both parameters and observations; they can be treated by least squares adjustment technique. The first step in the solution is finding the approximate values of unknowns. The approximated values (input data) of coordinates of point **P** (Vector X^0) can be assumed by using angular intersection according to the following formulae [3]:

$$\left. \begin{aligned} X_P^0 &= \frac{X_A \cot \alpha_2 + X_B \cot \alpha_1 - Y_A + Y_B}{\cot \alpha_1 + \cot \alpha_2}, \\ Y_P^0 &= \frac{Y_A \cot \alpha_2 + Y_B \cot \alpha_1 - X_A + X_B}{\cot \alpha_1 + \cot \alpha_2}. \end{aligned} \right\} \quad (8)$$

By substituting these approximate values in the four observation equations, the approximate values of observations (L^0) can be computed, and then we can compute the misclosure vector (**L**) as follows:

$$L = L^0 - L_{obs} \quad (9)$$

The linearised model may be expressed in the matrix form as follows:

$$\underset{(4,1)}{V} = \underset{(4,2)}{A} \cdot \underset{(2,1)}{X} + \underset{(4,1)}{L} \quad (10)$$

Where **A** – the coefficient matrix of parameters with dimension (4, 2); **L** – The misclosure vector with dimension (4, 1); **V** – The residuals vector with dimension (4,1); **X** is the unknown parameter with 2x1 matrix

Matrix **A** can be computed by differentiation of the four equations with respect to the two unknowns and can be written in the form:

$$A_{(4,2)} = \begin{bmatrix} \frac{\partial S_1}{\partial X_P} & \frac{\partial S_1}{\partial Y_P} \\ \frac{\partial S_2}{\partial X_P} & \frac{\partial S_2}{\partial Y_P} \\ \frac{\partial \alpha_1}{\partial X_P} & \frac{\partial \alpha_1}{\partial Y_P} \\ \frac{\partial \alpha_2}{\partial X_P} & \frac{\partial \alpha_2}{\partial Y_P} \end{bmatrix} \quad (11)$$

By using MathCAD program, the elements (a_{ij}) of the matrix (**A**) can be found by differentiating the four observation equations.

Then, the normal equation system is written thus:

$$\text{Where, } \underset{(2,2)}{N} \cdot \underset{(2,1)}{\hat{X}} + \underset{(2,1)}{U} = 0 \quad (12)$$

$$\underset{(2,2)}{N} = \underset{(2,4)}{A^T} \cdot \underset{(4,4)}{W} \cdot \underset{(4,2)}{A} \quad (13)$$

And

$$\underset{(2,1)}{U} = \underset{(2,4)}{A^T} \cdot \underset{(4,4)}{W} \cdot \underset{(4,1)}{L} \quad (14)$$

Subscript (2,1) are the dimension of matrix **U**

The solution for normal equation is

$$\underset{(2,1)}{\hat{X}} = - \underset{(2,2)}{N}^{-1} \cdot \underset{(2,1)}{U} \quad (15)$$

Where \hat{X} is the solution for normal equation

Then, the adjusted unknown parameters can be estimated as:

$$\bar{X}_{(2,1)} = \hat{X}_{(2,1)} + X_{(2,1)}^0 \tag{16}$$

Where \bar{X} is adjusted unknown parameter

The vector of adjusted observations can be estimated as:

$$\bar{L}_{(4,1)} = L_{(4,1)} + \hat{V}_{(4,1)} \tag{17}$$

Where \hat{V} is the adjusted residual, L is the adjusted vector observation

The estimated variance factor is:

$$\sigma_0^2 = \frac{V^T . W . V}{r} = \frac{V^T . W . V}{2} \tag{18}$$

The estimated variance covariance matrix of parameters is:

$$C_X = \sigma_0^2 . N^{-1} \tag{19}$$

Finally, the variance covariance matrix of the adjusted observations can be computed as:

$$C_L = A . C_X . A^T \tag{20}$$

By using **MathCAD** program, the above normal equation can be solved.

The error in point position M_p can then be determined by using the following formula:

$$M_p = \frac{b m''_{\alpha}}{\rho'' \sin \gamma_1} \sqrt{\sin^2_{\alpha_1} + \sin^2_{\beta_1}}, \tag{21}$$

Where b – base line (the distance between occupied stations). For example $b=AB$ in Fig. 2; m''_{α} – mean square error of measuring horizontal angles (taken from specifications of applied instrument); $\rho''=206265''$, γ_1 - the horizontal angle at p. In order to accept the observations and adjusted coordinates of point P from the two triangles ABP and BCP, it is necessary that the coordinates must satisfy the following condition [1].

$$r_p = \sqrt{\Delta_x^2 + \Delta_y^2} \leq 3 M_t, \tag{22}$$

Where $\Delta_x = X_1^P - X_2^P$; $\Delta_y = Y_1^P - Y_2^P$ and $M_t = \sqrt{M_1^2 + M_2^2}$ and

(X_1^P, Y_1^P) - Coordinates of point P from first triangle (ABP); while (X_2^P, Y_2^P) - Coordinates from second triangle (BCP); M_1, M_2 – Error in point position for the first and second triangles respectively [5, 6, 7, 8].

If the coordinates satisfy condition (22), the corrected coordinates of point P can be determined by the arithmetic mean of two triangles.

$$X_p = \frac{X_1^P + X_2^P}{2}, \quad Y_p = \frac{Y_1^P + Y_2^P}{2} \tag{23}$$

The accuracy of coordinates of monitoring point P can then be determined using least square method, consider the following procedure:

CONCLUSION

Monitoring of tanks and tanks wall helps in identifying and quantifying deteriorations which may lead to tank failure. The history of tank disaster throughout the world reveals that problems often arise undetected due to inaccurate evaluation of the tank defects.

For an effective tank monitoring programme, the equipment used for the monitoring must be precise and of the highest quality. The monitoring personnel must be experienced in not only data capture but also the analysis of the acquired data. The period of observation should be every year and consistent throughout the life of the tank.

Further studies should be carried out on the tank to ascertain the character of the tank over the years. The use of the mathematical model and associated designed MATLAB program to determine the radius and coordinates of center of circular oil tanks from geodetic data especially during the process of monitoring the structural deformation was found to be very correct and economical. The period of observation should be every year and consistent throughout the life of the tank. The results obtained in this study may however be acceptable to the structural Engineer depending on the tank specifications and its properties at the design stage.

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